Name	c	lass	Date	
Chapter 9				
Find the coordinates of the vertransformation. $P(-5,0) Q(-2)$		S for ea -	4 † Y	
1. reflection across $x = 4$ $P'(13, b) Q'(1$	0,-2) R'(11,4) S	5'(13=6)	2- 1 10 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	:
2. translation $(x, y) \rightarrow (x + 4)$ $\begin{cases} $	l. ν – 2)		2 0 2 4 6 X 2 -2 - -4 -	
$\int_{0}^{1} \left(0, 5 \right) Q^{1} \left(+2 \right) Q^{1} \left(+3 \right)$ 4. dilation with scale factor	$\frac{1}{2}$ centered at the origin	<i>'</i>	- - -	
P'(-2,50)Q'(-1-1 5. glide reflection with glide) R'(-1.5,-2)	5,(-7.2)	-3)	
6. translation 6 units left and	R'(3-2) 5			
P(- 3) () (-8 () What transformation has the	ne same effect as each co	ー ((~ Ś) mpdsition of tran:	sformations?	
7. translation $(x, y) \rightarrow (x, y)$	1 .	on across $x=2$		
8. translation $(x, y) \rightarrow (x + 1)$	-	\Rightarrow $(x-1, y+4)$		
translatio.	•			
9. reflection across $x = 6$ an				
translation 10. reflection across y=x and	`			
What type of symmetry doe				
_			1 ~+-	L. 120
12. \\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\	reflection	13.	- linp	tion 120°
1		1		

	Name	Class					
	Chapter Test (continued) Chapter 9		•••••••	Form A			
	14. Draw four letters of the alphabet a. reflectional symmetry	that have the indicated syn b. rotational symmetry	mmetry.				
	15. When you work a jigsaw puzzle, answer. You may draw sketches			n on the pieces? Explain your			
	16. Write a rule to describe a reflection across the line $y = x$. $\begin{pmatrix} X & Y \end{pmatrix} \longrightarrow \begin{pmatrix} Y & X \end{pmatrix}$ 17. Write a rule to describe a 90 degree rotation. $\begin{pmatrix} X & Y \end{pmatrix} \longrightarrow \begin{pmatrix} Y & X \end{pmatrix}$						
	Find the image of $\triangle LMN$ for a dilation with center (0, 0) and the given scale factor.						
	18. $L(-1, 2)$, $M(2, 2)$, $N(1, -3)$; scale factor 3 19. $L(2, -3)$, $M(3, 4)$, $N(5, -2)$; scale factor $\frac{1}{4}$						
	20. L(-3, -3), M(-3, 3), N(0, 0); so	cale factor 6					
	21. $L(9, -6)$, $M(0, -5)$, $N(7, -6)$; scale factor $\frac{1}{3}$						
1	A dilation maps $\triangle XYZ$ to $\triangle X'Y'Z$						
18	22. $XY = 42$ cm, $YZ = 35$ cm, and XZ the scale factor. $\frac{3}{7}$						
30	23. $XY = 15$ in., $YZ = 24$ in., and XZ						
18	the scale factor.	x'r'=25	Y'Z'	= 40			
. •	THE TAIL TO BE SEEN A CONTROL OF ARTON AND A CONTROL OF A						
	24 . (-3, -1)	25. (-4, 5)		$(x,y)\rightarrow (y-x)$			
	(5/3)	(2,4)	(-2)	-7)			
	Find the image of each point under a 90 degree rotation about the origin. 27. $(7, 2)$ 28. $(1, 1)$ 29. $(-1, -3)$						
	27. (7, 2)	28. (1, 1)	29. (-1	(γ)			
	(-27)	(-1,1)	(3-				
	•	-	` /)			

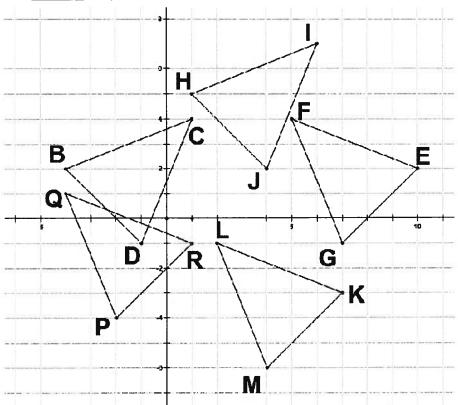
30. Fill in the blanks. $\triangle BCD$ is the preimage for all transformations.

a. $\triangle PQK$ is a rotation of 90 degrees around center point (0,0)

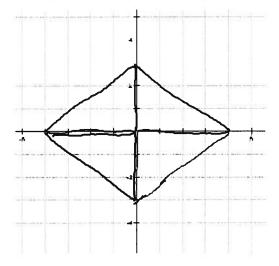
b. $\triangle EFG$ is a reflection over the line $\times = 3$

c. $\triangle H I J$ is a translation under the rule $(x,y) \rightarrow (X+5)$, y+3

d. \triangle MLK is a glide reflection.



- 31. Draw the triangle RHM with points
- R(0,0), H(0,3), and M(4,0).
- a. Reflect RHM over the y axis. 🗸
- b. Reflect RHM over the x axis. V
- c. Rotate RHM 180° around the origin.

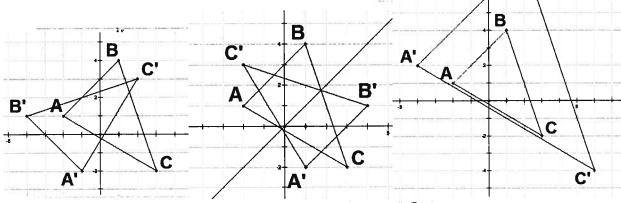


32. Draw triangle A(-2, 1), B(1, 4), and C(3, -2).

In the first graph rotate ABC 90° about the origin.

In the second graph reflect ABC over the line y = x.

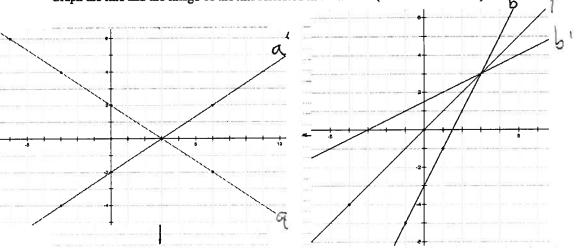
In the third graph dilate ABC with scale factor 2 and center at the original



 $f(x) = \left(\frac{-2}{3}\right) \cdot x + 2$

33. Write the equation $2x \pm 3y = 6$ in slope intercept form.

Graph the line and the image of the line reflected in the x-axis. (label them a and a'.)



34. Write the equation 15 = 5(2x - y) in slope intercept form. $g(x) = 2 \cdot x - 3$

Graph the line and the image of the line reflected over the line y = x. (label them b and b'.)