

Algebra II

Name: _____

#1: Analyze the difference between functions and relations.

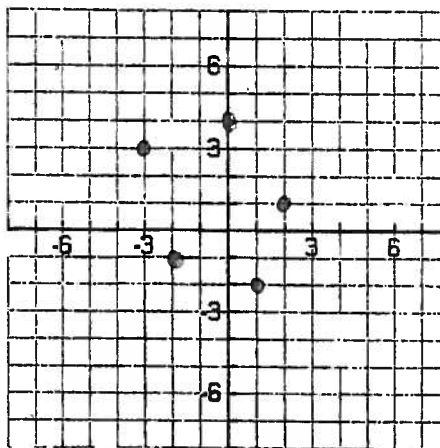
A **relation** is any set of ordered pairs or anything that has a relationship between it.

Three Common Forms of Relations:

1. Set of Ordered Pairs
2. Graph
3. Mapping Diagram

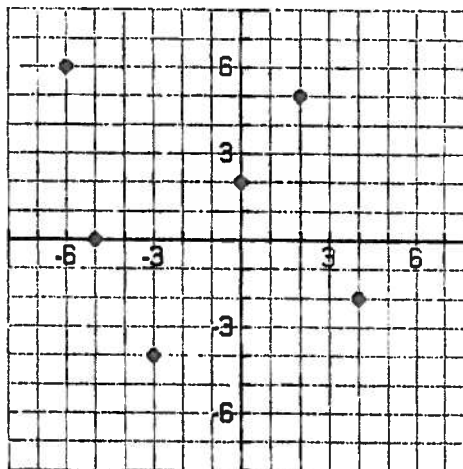
1. Graph the relation. (Don't connect the dots!)

$\{(-3, 3), (2, 1), (-2, -1), (0, 4), (1, -2)\}$

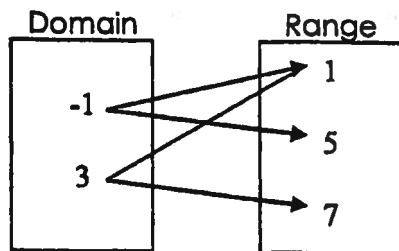


2. Write the ordered pairs for the relation.

$(-6, 6)$
 $(-5, 0)$
 $(-3, -4)$
 $(0, 2)$
 $(2, 5)$
 $(4, -2)$



3. Write the ordered pairs for the relation.



$(-1, 1)$
 $(-1, 5)$
 $(3, 7)$
 $(3, 1)$

Algebra II

Name: _____

#1: Analyze the difference between functions and relations.

A **function** is a special relation. A **function** is a one-to one Relation that establishes a relationship between two numbers.

For every input there is exactly one output.

The collection of all the inputs is called the Domain of a function.

The collection of all the outputs is called the Range of a function.

Go back to #1-3 on your notes and identify the domain and range of each relation.

Every number in the domain must match up to **exactly** one number in the range.
Are the following examples of functions or relations? Explain your reasoning.

<p>domain range</p>	<p>yes one to one</p>
<p>domain range</p>	<p>yes one to one</p>
<p>domain range</p>	<p>NO $(1, 0)$ $(1, 15)$ → not one output</p>
<p>domain range</p>	<p>NO 16 does not have an output</p>

Algebra II

Name: _____

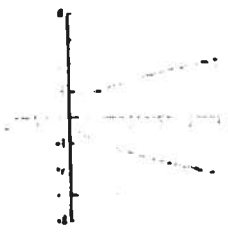
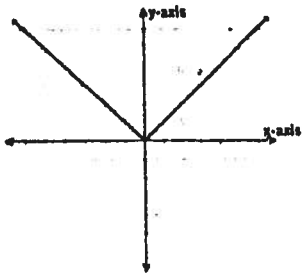
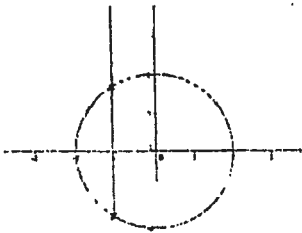
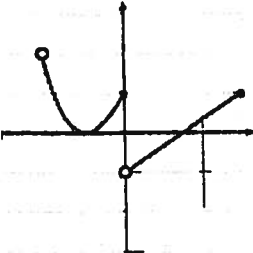
#1: Analyze the difference between functions and relations.

In the previous example, we looked at mapping diagrams. What if we have a picture instead? When given a graph, we will use the Vertical Line Test to decide if it is a function.

If a vertical line hits the graph **once**, it is a **function**.

If a vertical line hits the graph **more than once**, it is **not** a function.

Are the following examples of functions or relations? Explain your reasoning.

	NO Does not pass VLT
	yes Hits once
	No Does not pass VLT
	Yes only hits once ● ← hits ○ ← not hitting

Just remember:

A function may not have two y-values assigned to the same x-value, such as $\{(2,4), (2,6)\}$.

A function may, however, have two x-values assigned to the same y-value, such as $\{(2,4), (3,4)\}$.

Algebra II

Name: _____

#1: Analyze the difference between functions and relations.

Sort the boxes below into functions and not functions. For each one that is not a function, write a short reason why it cannot be a function.

<p>A</p> <p>yes one to one</p>	<p>B</p> <p>NO does not pass VLT</p>	<p>C</p> <p>NO does not pas VLT</p>
<p>D</p> <p>NO (0, 2) (0, 3)</p>	<p>E</p> <p>yes 1:1</p>	<p>F</p> <p>yes one to one</p>
<p>G</p> <p>$\{(-1, 5), (2, 4), (2, 5), (8, 5)\}$</p> <p>NO (2, 4) not one to one (2, 5)</p>	<p>H</p> <p>yes passes VLT</p>	<p>I</p> <p>yes passes VLT</p>
<p>J</p> <p>$\{(-1, 5), (2, 5), (3, 5), (8, 5)\}$</p> <p>yes one to one</p>	<p>K</p> <p>NO not passing VLT</p>	<p>L</p> <p>NO not passing VLT</p>